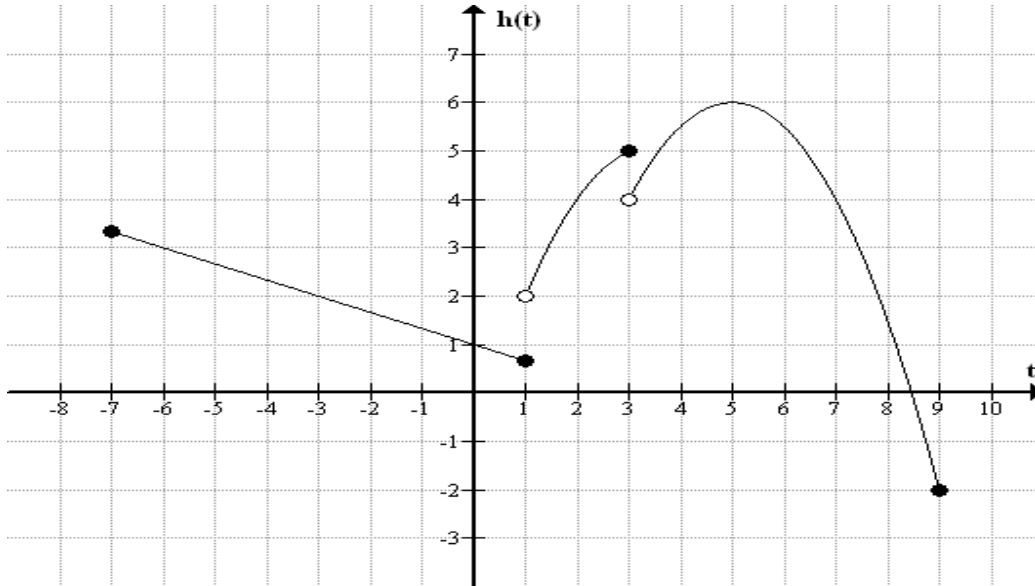


Use the graph of the piecewise function, $h(t)$ to answer the following questions.



1. Find the value of t where $h(t) = 4$. _____

2. Find $h(3)$. _____

3. Find the coordinate(s), if any, where $h(t)$ has an absolute maximum value. _____

4. State the intervals of x where $h(t)$ is
 - a. Increasing. _____
 - b. Decreasing. _____

5. A. State the domain in interval notation. _____
 B. State the range in interval notation. _____
 C. At what values of t is h discontinuous? _____

6. A. What is the absolute minimum value for $h(t)$? _____
 B. At what value of t does the absolute minimum value occur for $f(t) = h(t+2)$? _____
 C. What is the absolute minimum value for $q(t) = h(t)+2$? _____

7. A. The portion of the graph on the interval $[-7,1]$ is linear; write the equation for this portion of the function.

B. The portion of the graph on the interval $(3,9]$ is parabolic; write the equation for this portion of the function.

C. The equation of the graph on the interval $(1,3]$ is $y = -\frac{1}{2}x^2 + \frac{7}{2}x - 1$.

Combine the equations to form one piecewise rule for $h(t)$.

$$h(t) = \begin{cases} \underline{\hspace{4cm}}, & \underline{\hspace{4cm}} \\ \underline{\hspace{4cm}}, & \underline{\hspace{4cm}} \\ \underline{\hspace{4cm}}, & \underline{\hspace{4cm}} \end{cases}$$

8. State the interval(s) for which $h(t) < 0$.

9. Keeping $h(0) = 1$, translate the equations on $(1,3]$ and on $(3,9]$ to create a new function $g(t)$ that will be **continuous** on $[-7,9]$

$$g(t) = \begin{cases} \underline{\hspace{4cm}}, & \underline{\hspace{4cm}} \\ \underline{\hspace{4cm}}, & \underline{\hspace{4cm}} \\ \underline{\hspace{4cm}}, & \underline{\hspace{4cm}} \end{cases}$$